# Size, Shape and No. of Replication of Plot in Relation to Field Experiment with Wheat Variety PIRSABAK-2004 

Syed Asghar Ali Shah Murtaza Khan Alamgir<br>Agricultural Research Institute Tarnab, Peshawar, Department of Statistics, University of Peshawar


#### Abstract

The need for determining a standard size and shape for an experimental plot for all crops in different area of the Khyber Pakhtunkhwa, under different condition like irrigated or rain fed is urgent. The Experiment on size and shape of plot with wheat variety pirsabak-2004 is performed in Agriculture Research Institute Tarnab during 2012-13. The land under experiment was under wheat rotation in previous year, and all operation like cultural manuring etc. were uniformly applied over all area. The variance analysis of yield was done for (a) between blocks (b) within blocks bared upon the trend in the co-efficient of variation the most feasible width of the experimental plot is 2.5 . While long and narrow plots are more efficient than shorter and wider plots of the same size. Based upon theoretical numbering of replications in order to bring down C.V to $5 \%$, it is found that the number of replication in case of plot size $10^{\prime} \times 4$ is in between 2-6. The fertility trend moves gradually from west to east, as compared to the North-East, which is less fertile side. The South-Western size gives the high rate of fertility. Based on the study a plot size of $10^{\prime} \times 4^{\prime}$ or $3.05 \times 1.22$ meter is the most suitable for experimental purpose.


## Introduction

The efficiency of field experiments depend on the standard error of the different estimates involved, it is therefore necessary that the experimental arrangement should be designed in such a way as to ensure the highest possible precision.
Among the many factors that contribute to the magnitude of errors in Agriculture field experiments, the following are of considerable importance:-

1. Shape and size of the individual plot
2. Shape and size of the block division (for elimination of soil heterogeneity)
3. The position and orientation of the plots and of the bocks in the experimental field.

Information on plot variability derived from uniformity trials is of value in planning future experiments. However, as Ferguson points out, variability often depends often depends upon local conditions and it effects the accuracy of the experiments. He states further that random variability is a highly variable statistic which may deviate $30 \%$ from the best forecast. According to Lana et al. a clearer picture of vegetable plot efficiency would be possible if the data from more uniformity trials under various environments could be compared.

Justesen and Kalamkar arrived at similar conclusions namely that the standard deviations were reduced when plot lengths were increased as compared with widening plots. Jacobs reviewed 101 papers on plot technique with horticultural crops. The question of economy in land and labour demands that the size of the plot should be as small as possible, consistent, efficient and sufficient in the experiments. Keeping in view the heavy expenditure involved from the growing up to harvesting, the need for fixing up a suitable plot size is actually felt.

With such aims before us, the uniformity trial with variety pirsabak-2004 was under taken to find out the most suitable plot size and shape for wheat crop uptill now, no work on the uniformity trial of wheat has been done especially in Khyber Pakhtunkhwa, which is one of the most important cereal crops of this province.

## Material and Methods

The material used in the present study is yield from a uniformity trial at Agricultural Research Institute, Tarnab, in 2012-13. The land under experiment was under regular wheat rotation. The cultural methods, manuring and other operations were kept uniform all over the area. The field 240 feet long by 96 feet wide.
The whole area was planted uniformly with the variety Pirsabak-2004 in 96 rows. The space between the rows was one feet. The field was harvested in 4 row plot $5^{\prime}$ long and $4^{\prime}$ wide making up the length of the field, so that there were in total 1152 plots. The harvesting was completed in 6 days from the $6^{\text {th }}$ May till $11^{\text {th }}$ May, 2013. After harvesting the threshing and recording of the yield data with effect from $20^{\text {th }}$ May, 2013 and completed on $5^{\text {th }}$ June, 2013.

The plot yield from which the analysis was made is given in Table-I. The standard error between plots within the blocks was calculated for 80 different sizes and shapes of plots considering the entire plot as harvested. On the basis of these combinations in various ways to form and 48 units in length and $1,2,3,4,6,8,12$, and 24 rows wide.

Experimental Results
In Table-II, the analysis of variance is a given for yield of wheat for plot of $10^{\prime} \mathrm{x} 4^{\prime}$.
TABLE-II
Analysis of Variance of Yield Data of crop of $10^{\prime} \mathrm{X} 4{ }^{\prime}$ Plot

| Variation | Degree of <br> freedom | Sum of <br> Squares | Mean <br> Squares | F. Ratio | S.D. | Z $^{* *}$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Between blocks | 23 | 5382.25 | 234.0109 | 10.297 | 15.30 | 1.1659 |
| Within blocks | 1128 | 25635.25 | 22.7263 |  | 4.77 |  |
| Total Between Plot | 1151 | 31017.50 | 26.9483 | .. | 5.19 | .. |

- $\quad$ Mean Square of variance $=\underline{\text { Sum of Squares }}$

Degrees of freedom
** $\quad \mathrm{Z}$ - one half the differences between the natural logarithms of the 2 variances
The total sum of squares was obtained by squaring the yield of each plot, summing, and subtracting the product of the general total times the general mean. The sum of squares between blocks was obtained by squaring the total yield of each of the 24 blocks, summing dividing by 48 (the number of elements contributing to each total) and subtracting the same product of the general total times the general means as used in obtaining the total sum of squares. The sum of squares due to variation within the blocks is the difference between the total sum of squares and that portion due to variation between blocks. Since a total of 1152 plots were considered, there were $1151(\mathrm{~N}-1)$ degrees of freedom attributable to the total sum of squares. There were 24 blocks (of 48 plots each) and consequently 23 degrees of freedom due to blocks; 1151-23 or $47 \times 24$ gives 1128 degrees of freedom due to variation between the 48 plots within each of the 24 blocks. The mean squares or variance (standard deviation squared) is found by dividing the sum of squares by the corresponding degrees of freedom.

The standard deviation is the square root of the mean square or variance. We see in Table-II the observed value of Z tests exceed the $1 \%$ and $5 \%$ points and we conclude that the difference was undoubtedly significant. Since the variance between blocks was significantly greater than the variance within, the elimination of variation between blocks has proved worth while. The standard error of the $10 \times \mathrm{x} 4$ plot was then, 23.95 percent of the mean yield.

TABLE - III
Analysis of Yield Data of Wheat Variety Pirsabak-2004 Tarnab for the
Year 2012-13

| Length Width | x | Plot <br> Dimension | Ratio of length to width | Total No. of plots | Standard deviation | Variance | C.V |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1x1 |  | 5x4 | 1.25 | 1152 | 5.191 | 26.95 | 20.08 |
| 1x2 |  | 5 x 8 | 0.63 | 96 | 5.141 | 26.43 | 25.83 |
| 1x3 |  | 5x12 | 0.42 | 144 | 5.122 | 26.24 | 25.73 |
| 1x4 |  | $5 \times 16$ | 0.31 | 192 | 5.151 | 26.53 | 25.88 |
| 1x6 |  | 5x24 | 0.21 | 288 | 5.210 | 27.15 | 26.18 |
| 1x8 |  | 5x32 | 0.16 | 389 | 4.960 | 24.60 | 24.92 |
| 1x12 |  | 5x48 | 0.10 | 576 | 5.031 | 25.32 | 25.28 |
| 2x1 |  | 10x4 | 2.50 | 24 | 4.768 | 22.73 | 23.95 |
| 2x2 |  | 10x8 | 1.25 | 48 | 5.114 | 26.15 | 25.69 |
| 2x3 |  | 10x12 | 0.83 | 72 | 5.103 | 26.04 | 25.64 |
| 2x4 |  | 10x16 | 0.63 | 96 | 5.063 | 25.63 | 25.44 |
| 2x6 |  | 10x24 | 0.16 | 144 | 4.924 | 29.25 | 24.74 |
| 2x8 |  | 10x32 | 0.31 | 192 | 4.860 | 23.62 | 24.42 |
| 2x12 |  | 10x48 | 0.21 | 288 | 4.732 | 22.39 | 23.77 |
| $3 \times 1$ |  | 15x4 | 3.75 | 16 | 5.187 | 26.90 | 26.06 |
| 3x2 |  | 15x8 | 1.86 | 32 | 5.124 | 26.26 | 25.74 |
| 3x3 |  | $15 \times 12$ | 1.25 | 48 | 5.167 | 26.69 | 26.96 |
| 3x4 |  | 15x16 | 0.94 | 64 | 5.086 | 25.87 | 25.55 |
| 3x6 |  | 15x24 | 0.63 | 96 | 4.950 | 25.51 | 24.87 |
| 3x8 |  | 15x32 | 0.47 | 128 | 4.956 | 24.56 | 24.90 |
| 3x12 |  | 15x48 | 0.31 | 192 | 4.796 | 23.00 | 24.10 |
| 4 x 1 |  | 20x4 | 5.00 | 12 | 5.179 | 26.83 | 26.02 |
| $4 \times 2$ |  | 20x8 | 2.50 | 24 | 5.089 | 25.90 | 25.57 |
| 4 x 3 |  | 20x12 | 1.67 | 36 | 5.018 | 25.20 | 25.21 |
| $4 \times 4$ |  | 20x16 | 1.25 | 48 | 5.021 | 25.21 | 25.22 |

TABLE - III (contd.)
Analysis of Yield Data of Wheat Variety Pirsabak-2004 for the Year, 2012-13
$\left.\begin{array}{|l|l|l|l|l|l|l|}\hline \begin{array}{l}\text { Length } \\ \text { Width }\end{array} & \begin{array}{l}\text { Plot } \\ \text { Dimension }\end{array} & \begin{array}{l}\text { Ratio of } \\ \text { length } \\ \text { width }\end{array} \\ \text { to }\end{array} \quad \begin{array}{l}\text { Total No. of } \\ \text { plots }\end{array} \quad \begin{array}{l}\text { Standard } \\ \text { deviation }\end{array}\right)$

TABLE -III contd.
Analysis of yield data of wheat Variety Pirsabak-2004 for the year 2012-13

| Length x Width | Plot <br> Dimension | Ratio L/W | Total No. of plots | Standard deviation | Variance | C.V |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 12x12 | 60x48 | 1.25 | 48 | 4.794 | 22.99 | 24.09 |
| 16x1 | 80x4 | 20.00 | 3 | 5.193 | 26.97 | 26.09 |
| 16x2 | 80x8 | 10.00 | 6 | 5.140 | 26.42 | 25.82 |
| 16x3 | 80x12 | 6.67 | 9 | 5.058 | 25.58 | 25.41 |
| 16x4 | 80x16 | 5.00 | 12 | 5.087 | 25.88 | 25.56 |
| 16x6 | 80x24 | 3.33 | 18 | 4.936 | 24.36 | 24.80 |
| 16x8 | 80x32 | 2.50 | 24 | 4.947 | 24.48 | 24.86 |
| 16x12 | $80 \times 48$ | 1.67 | 36 | 4.806 | 23.10 | 24.15 |
| 24x1 | 120x4 | 30.00 | 2 | 5.193 | 26.97 | 26.09 |
| 24x2 | 120x8 | 15.00 | 4 | 5.139 | 26.41 | 25.82 |
| 24x3 | 120.12 | 10.00 | 6 | 5.051 | 25.51 | 25.38 |
| 24x4 | 120x16 | 7.50 | 8 | 5.073 | 25.74 | 25.49 |
| 24x6 | 120x24 | 5.00 | 12 | 4.934 | 25.34 | 24.79 |
| 24x8 | 120x32 | 3.75 | 16 | 4.946 | 24.46 | 24.85 |
| 24x12 | 120x48 | 2.50 | 24 | 4.821 | 23.24 | 24.22 |
| 48x1 | 240x4 | 60.00 | 48 | 5.200 | 27.05 | 26.13 |
| 48x2 | 240x8 | 30.00 | 2 | 5.135 | 26.37 | 25.77 |
| 48x3 | 240x12 | 20.00 | 3 | 5.068 | 25.69 | 25.42 |
| 48x4 | 240x16 | 15.00 | 4 | 5.095 | 25.96 | 25.57 |
| 48x6 | 240x24 | 10.00 | 6 | 4.973 | 24.53 | 24.87 |
| 48x8 | 240x32 | 7.50 | 8 | 4.981 | 24,81 | 25.02 |
| 48×12 | 240x48 | 5.00 | 12 | 4.883 | 23.85 | 24.52 |
| 1x24 | 5x96 | 0.05 | 24 | 5.219 | 27.24 | 26.22 |
| 2x 24 | 10x96 | 0.10 | 48 | 4.690 | 22.00 | 23.57 |
| 3x24 | 15x96 | 0.16 | 72 | 4.649 | 21.61 | 23.36 |
| 4x24 | 20x96 | 0.21 | 96 | 4.639 | 21.52 | 23.31 |
| 6x24 | 30x96 | 0.31 | 144 | 4.580 | 20.98 | 23.01 |
| $8 \times 24$ | 40x96 | 0.42 | 192 | 4.573 | 20.91 | 22.96 |
| 12x24 | 60x96 | 0.63 | 288 | 4.570 | 20.88 | 22.96 |
| 16x24 | 80x96 | 0.83 | 384 | 4.161 | 17.31 | 20.91 |
| 24x24 | 120x96 | 1.25 | 576 | 4.412 | 19.96 | 22.16 |

The Table -III showing that by increasing the width and length of the plot, the co-efficient of variation goes down. In Table-IV is given the standard error in percentage of the mean from these combinations.

In general the standard error, in percentage of the mean, decreased with increased size of plot, which was to be expected. Increasing the width of plots from one row to two resulted in a very pronounced reduction in the standard error.

TABLE - IV
Standard Errors, in Percentage of the Mean of Yields of Plot varying in Size and Shape

| Length <br> of plot | Standard deviation of yield (percent) for plots of indicated width (rows) |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | 1 | 2 | 3 | 4 | 6 | 8 | 12 | 24 |
| 1. | 26.08 | 12.92 | 8.58 | 6.47 | 4.36 | 3.12 | 2.11 | 1.09 |
| 2. | 11.98 | 6.42 | 4.27 | 3.18 | 2.05 | 1.53 | 0.99 | 0.49 |
| 3. | 8.68 | 4.29 | 2.88 | 2.13 | 1.41 | 1.04 | 0.67 | 0.32 |
| 4. | 6.51 | 3.20 | 2.10 | 1.58 | 1.03 | 0.75 | 0.50 | 0.24 |
| 6. | 4.35 | 2.16 | 1.41 | 1.06 | 0.69 | 0.12 | 0.33 | 0.20 |
| 7. | 3.25 | 1.60 | 1.06 | 0.70 | 0.51 | 0.38 | 0.25 | 0.12 |
| 12. | 2.18 | 1.07 | 0.71 | 0.53 | 0.34 | 0.26 | 0.17 | 0.08 |
| 16. | 1.63 | 0.81 | 0.53 | 0.40 | 0.26 | 0.19 | 0.13 | 0.05 |
| 24. | 1.09 | 0.54 | 0.35 | 0.27 | 0.17 | 0.13 | 0.08 | 0.04 |
| 48. | 0.54 | 0.27 | 0.18 | 0.13 | 0.09 | 0.07 | 0.04 |  |

Increasing the length of rows from 1 to 2 resulted in greatly reduced standard errors. Further increase in length of plot reduced the errors. In table-5 is given the number of replications needed to reduce the standard
error of the mean to 5 percent.
The standard error of mean of several replications is found by dividing the standard error of a single plot by the square root of N , where N is the number of replications.

TABLE - V
Theoretical Number of Replications Needed to Reduce the Standard Error
Entire Plot Harvested

| Length <br> of plot | Number of replications for plots of indicated number of rows |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | 1 | 2 | 3 | 4 | 6 | 8 | 12 | 24 |
| 1. | 27.2 | 6.7 | 3.0 | 1.0 | 0.8 | 0.4 | 0.2 | 0.5 |
| 2. | 5.7 | 1.7 | 0.7 | 0.4 | 0.2 | 0.1 | 0.04 | 0.01 |
| 3. | 3.0 | 0.7 | 0.3 | 0.2 | 0.1 | 0.04 | 0.02 | 0.004 |
| 4. | 1.7 | 0.4 | 0.2 | 0.1 | 0.04 | 0.02 | 0.01 | 0.003 |
| 6. | 0.8 | 0.2 | 0.1 | 0.1 | 0.02 | 0.01 | 0.004 | 0.003 |
| 8. | 0.4 | 0.1 | 0.1 | 0.03 | 0.01 | 0.01 | 0.003 | 0.001 |
| 12. | 0.2 | 0.1 | 0.02 | 0.01 | 0.01 | 0.003 | 0.001 | 0.0003 |
| 16. | 0.1 | 0.03 | 0.01 | 0.01 | 0.003 | 0.001 | 0.001 | 0.0001 |
| 24. | 0.1 | 0.01 | 0.01 | 0.003 | 0.001 | 0.001 | 0.0003 | 0.0001 |
| 48. | 0.01 | 0.003 | 0.001 | 0.001 | 0.0003 | 0.0001 | 0.0001 |  |

The object of replications being to secure a low error the number of replications necessary for each plot size should be examined to see whether we could afford sufficient land consistent with theoretical number of replications required.

In Table-VI is given the efficiency of plots of varying size and shape calculated on the basis of variance per unit area of land. Plot 2 rows wide will require twice as much land as will plot 1 row wide. Plots $3,4,6,8,12$, and 24 rows wide will require a corresponding number of time as much land, respectively, as will single row plots. The efficiency of plots of different sizes an shapes in their rows which go to make up the plot and expressing the variance of a single row in percentage of these variances. Taking the variance of a single row as a standard, we may determine the efficiency of all other plots in relation to the efficiency of this ultimate unit of size.

TABLE-VI
Percentage Efficiency in use of Land of Plot varying in Size and Shape
Entire Plot Harvested

| Length <br> of plot | Percentage efficiency of plot of indicated width (rows) |  |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | 1 | 2 | 3 | 4 | 6 | 8 | 12 | 24 |
| 1. | 100 | 50.98 | 34.24 | 25.40 | 16.54 | 13.69 | 8.87 | 4.12 |
| 2. | 59.28 | 25.77 | 17.25 | 13.14 | 9.26 | 7.13 | 5.02 | 2.55 |
| 3. | 33.40 | 17.11 | 11.22 | 8.68 | 5.87 | 4.57 | 3.26 | 1.73 |
| 4. | 25.11 | 13.01 | 8.91 | 6.68 | 4.69 | 3.61 | 2.44 | 1.30 |
| 6. | 16.65 | 8.47 | 5.84 | 4.36 | 3.06 | 2.29 | 1.69 | 0.89 |
| 8. | 12.58 | 6.46 | 4.34 | 3.30 | 2.34 | 1.78 | 1.20 | 0.67 |
| 12. | 8.30 | 4.26 | 2.94 | 2.18 | 1.55 | 1.15 | 0.81 | 0.45 |
| 16. | 6.25 | 3.19 | 2.20 | 1.63 | 1.15 | 0.86 | 0.61 | 0.41 |
| 24. | 4.16 | 2.13 | 1.47 | 1.09 | 0.77 | 0.57 | 0.40 | 0.23 |
| 48. | 2.08 | 1.07 | 0.73 | 0.59 | 0.38 | 0.28 | 0.20 | .. |

The original yield data in Table-I, were combined to form nine ( $3 \times 3$ ) basic units based on moving average. The field was then considered as consisting of 1012 such plots. On the basis of the contour map it can be noticed that the fertility trend of the plot moves gradually from West to East, where as the North-East side of the plot is the least fertile area. The maximum fertility of the plot seems to be on the South-Western side.

## Conclusions and Recommendations

The need for standardizing a suitable size and shape for an experimental plot for all crops in different area of the Khyber Pakhtunkhwa, grown under different conditions, such as irrigated or rain fed is very urgent. This question is assuming a definite importance in case of wheat, which is the most important cereal crop of this region. It is further important to recognize the need for a correct statistical technique to be applied to data recorded from experiment conducted for the purpose of deducing a suitable size and shape for an experimental plot.

The statistical section, conducted a uniformity trial (Experiment) on wheat crop variety Pirsabak-2004, at B block of the Agricultural Research Institute, Tarnab, Peshawar Khyber Pakhtunkhwa, in 2012-13 with a view to deduce a suitable plot size and shape for the experimental plot. The yields of 1152 small units of size

5X4 were analyzed. Co-efficient of variation standard error and efficiency was calculated for each plot size on the basis of different combinations, and it was concluded that high variation in fertility between plot to plot and row to row was a disturbing factor.

The land under experiment was under regular wheat rotation in pervious year, cultural methods manuring and other operations were uniform all over the area.

The analysis of variance in yield has been deduced for (a) between blocks (b) with in blocks.
The shape of plot has to be decided not only on the basis of trend in the co-efficient of variation, but also convenience of cultivation. Based upon these stand points the ratio of length and width of the experimental plot is found to be at least 2.5 . long and narrow plots are more efficient than shorter and wider of the same size.

Theoretical number of replications to bring down the C.V. to five percent has been calculated in case of each plot size and it is found that in case of plot size 10X4 the number of replications required is in between 2-6, It is advisable that less replication will not fulfill the accurate results in case of any damage to two replications.

Consider from all stand point on the basis of the data in the present study a plot size of $10^{\prime} \mathrm{X} 4^{\prime}$ or 3.05 X 1.22 meters seems eminently suitable for a field experiment on wheat.

## References

Fisher R.A. Statistical methods for Research Workers (1925 $3^{\text {rd }}$ edition 1930) Edinburgh, Oliver and Boyd.
Masood A. Asif, Mujahid Yaqoob, Khan, M.I., and Abid, Saleem (2006). Improving Precisions of Agricultural Field Experiments. Journal of Sustainable Development, Vol.3 (1,2), 11-13 Africa
Westover, K.C. The influence of plot size and replication on experimental error in field trials with potatoes W.Va. Agri. Exp. Sta. Bull. 1924, 189,32 PP.

Immaer, F.R. Journal of Agricultural Research Washington, D.C., Vol: 44 No. 8 Apr, 15, 1932 Key No. G-811.
K.A. Gomes and A.A. Statistical procedures for agricultural research, with emphasis on rice Irri Manila, Philippines, 1976.
William G. Cochran and Gertrude M. Cox. Experimental Designs, 1959 Second Edition
Jusrosan, S. H. 1932. Influence of size and shape of plots on the precision of field experiments with potatoes. J. Agr. Sci. 22, 366-372,
Kalenren, R. J. 1932, Experimental error and field plot technique with Potatoes. Agr. Sci. 22, 372-183.
Kneurz, F. A. 1923, Further studies in field plot technique in potato yield tests. Proc" 10th Ann. Meet. Pot. Assoc. Am. pp. 174-179

